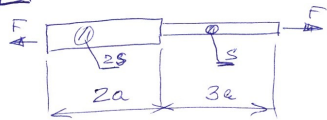




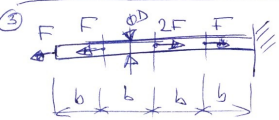
D: a, b, l, E, μ, F
 U: $N, \sigma, \epsilon, \Delta l, \Delta a, \Delta b$
 + grafy

1

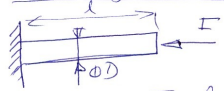


D: a, s, E, F, μ
 U: $N, \sigma, \epsilon, \Delta l, \Delta s$
 + grafy

2

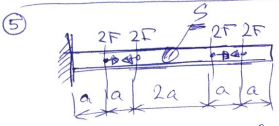


U: $N, \sigma, \epsilon, \Delta l, \Delta D$
 + grafy

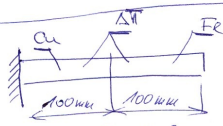


D: $F, \Delta l, \Phi D, l$
 U: E

4

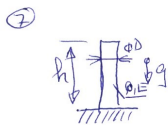


U: $N, \sigma, \epsilon, \Delta l$
 + grafy

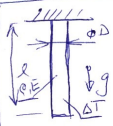


D: $\Delta T = 100^\circ C, \alpha_{Cu} = 17 \cdot 10^{-6} K^{-1}$
 $\alpha_{Fe} = 11 \cdot 10^{-6} K^{-1}$
 U: Δl

6

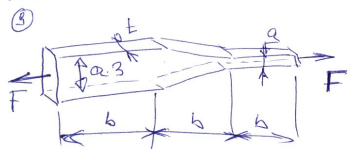


D: h, D, ρ, E, g, σ
 U: $h, \sigma, \epsilon, \Delta l$
 + grafy N, σ, ϵ

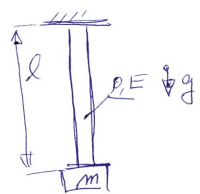


D: $l, \Phi D, \rho, E, \Delta T$
 U: $\alpha_T \nu \mu \epsilon - \epsilon, \sigma \Delta l = 0$
 (+ grafy N, σ, ϵ)

8

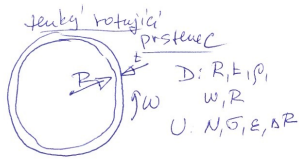


D: a, b, l, E, F
 U: $N, \sigma, \epsilon, \Delta l$
 + grafy



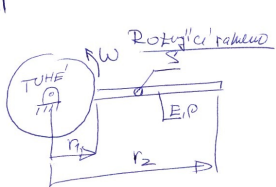
10

11



tenký rotující
prstevce
D: $R_1, t, p,$
 w, R
U: $N, \sigma, \epsilon, \Delta R$

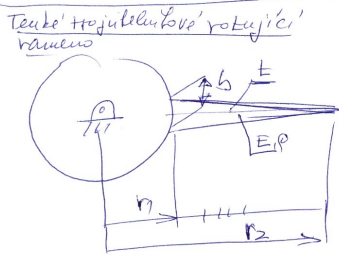
2



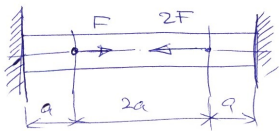
rotující raketu
D: $r_1, r_2, E, \rho, G_D, \Delta R_D$
U: w tak, aby $\sigma \leq \sigma_D$
 w tak, aby $\Delta R_2 \leq \Delta R_D$
(+grafy N, σ, ϵ)

12

13

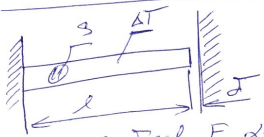


tenké trojúhelníkové rotující raketu
D: $r_1, r_2, b, t, E, \rho, w$
U: $N, \sigma, \epsilon, \Delta R$
grafy



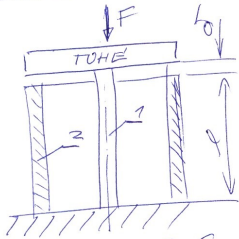
D: a, S, E, F
U: N, σ, ϵ , reakce
+grafy

14



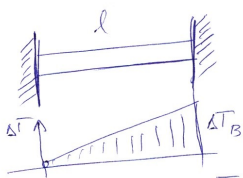
D: $l, F, E, \alpha_T, \sigma_D$
U: σ jako funkce ΔT
(+graf)
 $\sigma \Delta T_0$ tak, aby $|\sigma| < \sigma_D$

15



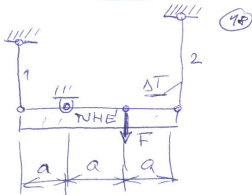
D: $l, \rho, S_1, S_2, E_1, E_2$
U: $N_1, N_2, \sigma_1, \sigma_2$
v závislosti na F

16



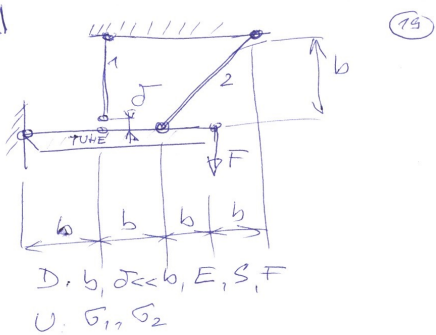
D: $l, S, E, \alpha_T, \Delta T$, lin. průběh ΔT
U: N, σ, ϵ , reakce
+grafy

17



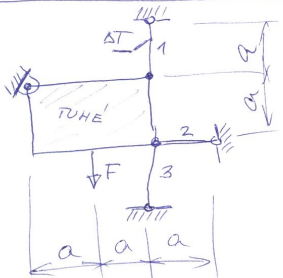
D: a, E, S, h, h_2
 $F, \Delta T, \alpha_T$
 U: síly v prutech

3

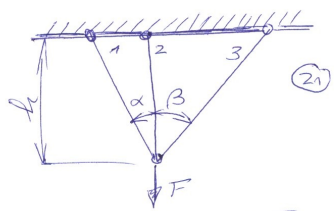


D: $b, \delta \ll b, E, S, F$
 U: G_1, G_2

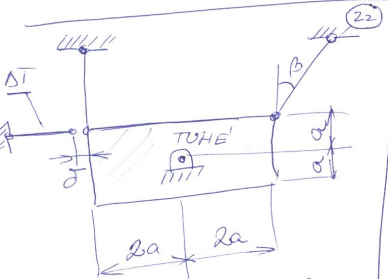
20



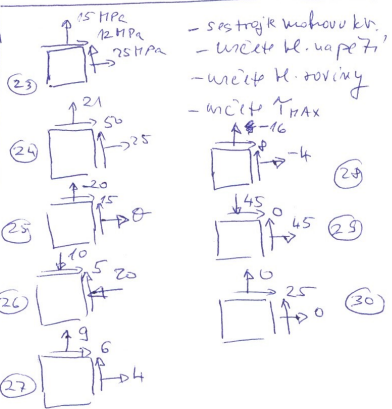
D: $a, F, E, S, \Delta T, \alpha_T$
 U: napětí v prutech



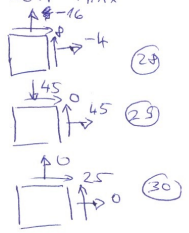
D: $h, \alpha, \beta, E, S, F$
 U: N_1, N_2, N_3

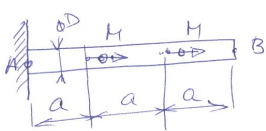


D: a, h, E, S, β
 $\alpha_T, \Delta T, \delta \ll b$
 U: síly v prutech



- sestrojík mohovou kv.
 - určete kl. napětí
 - určete H. roviny
 - určete τ_{max}

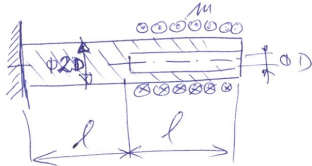




D: a, D, G, M

U: $M_k, \gamma, \varphi, \varphi(x), \varphi_{A,B}$
+ grafy

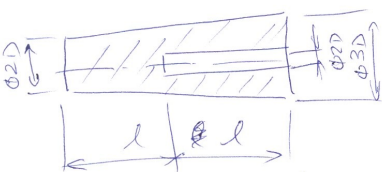
(31)



D: l, D, G, μ

U: napětí, deformace
(vztlahy i grafy, kde to
dovede směřte)

(32)

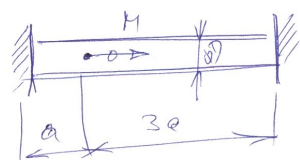


Kružkový hřídel přechází
vzhledem P při otáčce dle n

D: P, D, n (otáčení), G

U: napětí a deformace
(+ grafy)

(33)



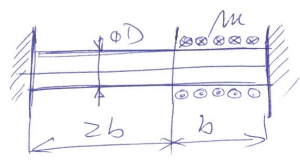
D: a, D, M, G

U: M_k, φ, γ , reakce
+ grafy

(34)

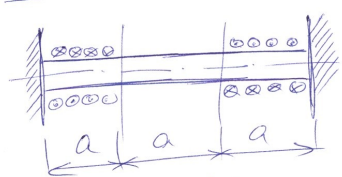
odvoďte tahost hustě vinuté
válcové pružiny (36)

(35)



D: b, D, μ, G

U: reakce, $\gamma, \varphi, \varphi(x)$
+ grafy

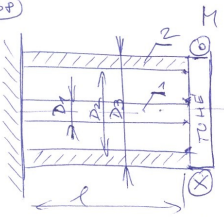


D: a, D, G, μ

U: γ, φ, φ , reakce
+ grafy

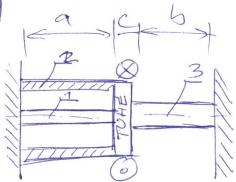
(37)

38



$D: D_1, D_2, D_3, l$
 G_1, G_2
 $U: \text{napětí}$

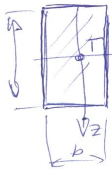
5



$D: D_1, D_2, c_1$
 1: D_1
 2: D_2, D_3
 3: D_4
 a, b, c
 $U: \text{napětí}$

39

40

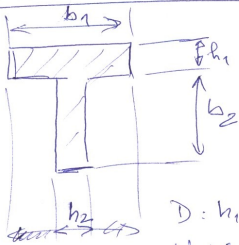


na základě definice vypočítejte J_y, J_z, D_{yz}



41
 na základě definice vypočítejte J_y, J_z, D_{yz}

42



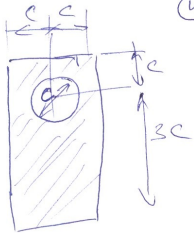
$D: h_1, b_1, h_2, b_2$
 $U: \text{hlavní centrální kvadr. momenty } W_0$

43



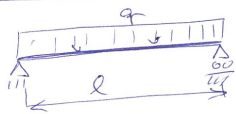
3 kruhy s ϕD
 Určete hl. centrální kv. momenty a W_0 .

44

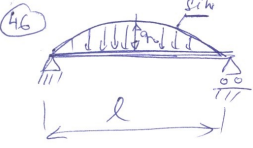


$D: c$
 $U: \text{hl. cent. kv. momenty, } W_0$

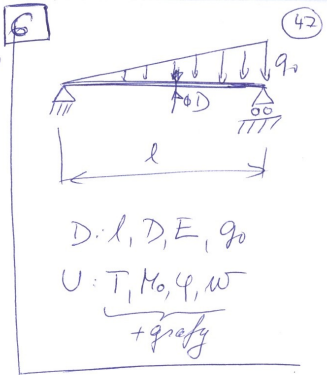
45



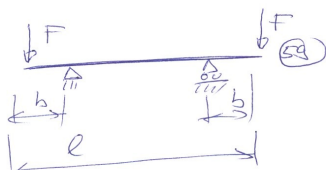
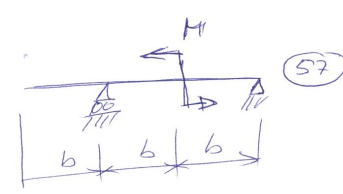
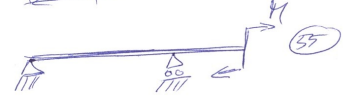
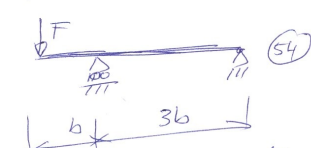
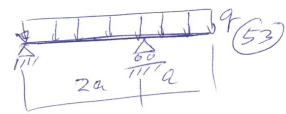
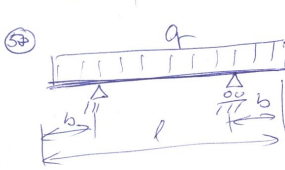
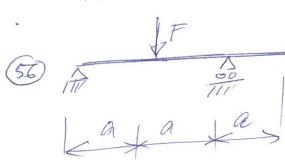
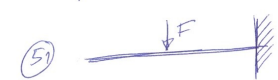
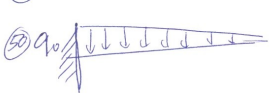
$D: l, q, E, J_y$
 $U: T, M_0, \varphi, w$
 všechny i grafy.

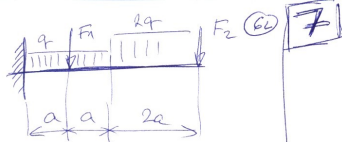


D: $q_0, l, \text{traz } q,$
 E, J_y
 U: T, M_0, φ, W
 + grafy



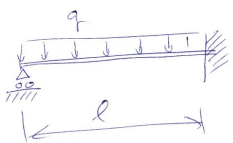
Dodno: zatíženi, toz ušný, J_y
 U: T, M_0, φ, W
 + grafy pro včsl. kosuly.



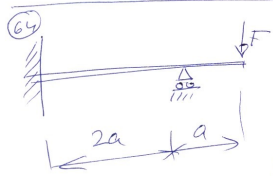


D: $F_1 = 3qa$
 $F_2 = 2qa$
 q, a, E, γ_y
 U: průhyb na konci

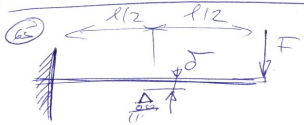
(62)



D: l, E, γ_y, q
 U: reakce

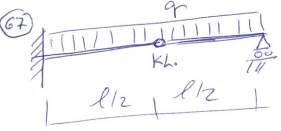
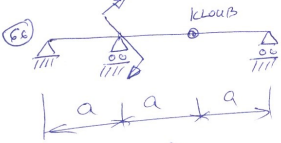


D: F, a, E, γ_y
 U: reakce

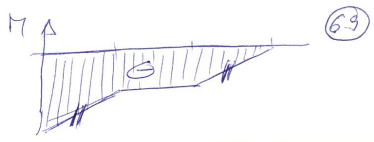
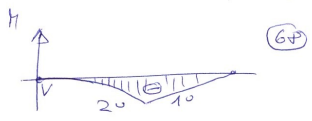


D: l, E, γ_y, δ
 U: F při výzvě nosné
 dotekové podpory

učište vsu:

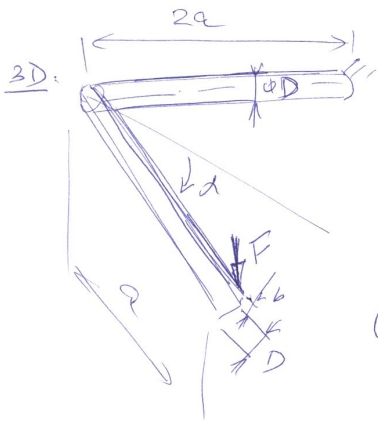


Z daného průběhu momentu učište zatížení nosníku:



Tyto σ a M je vztahovaná k F a kroupcí momentu M .
 Učište σ a M podle pravoúhlých hypotéz pro konkrétní materiál

Dimenze zajištění stěny tenkostěnné válcové tlakové nádoby
 Dáno: $P, r, \sigma_{\text{dov}}$



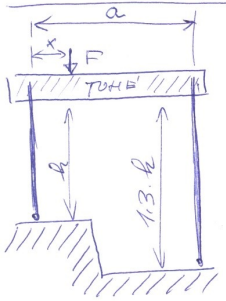
(72)

ravno opruženju Dxb a delca a
 je pootočeno o d učici vodoravnemu
 smeru.

Hrilček ima ϕD a delca 2a
 sila F pušča svide

- U: prubek ~~VSU~~ VSU
- prubek w pZH
- prubek σ_{EK}

(73)

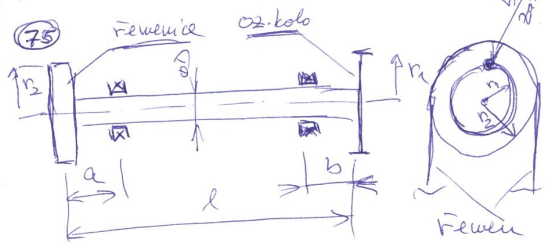


stiel na dvou štiklejk
 nohach, kde kufi
 pušobit sila F, aby
 stiel uvesel nejvíc?

(74)

stojel zaddu' jako (73), navíc
 je tam tito desky na vzdalenosti
 a/2.

(75)



Dalno: otáčky, převládající vzhled
 rozvětvy, materiál

Učeti: namáhání, deformace