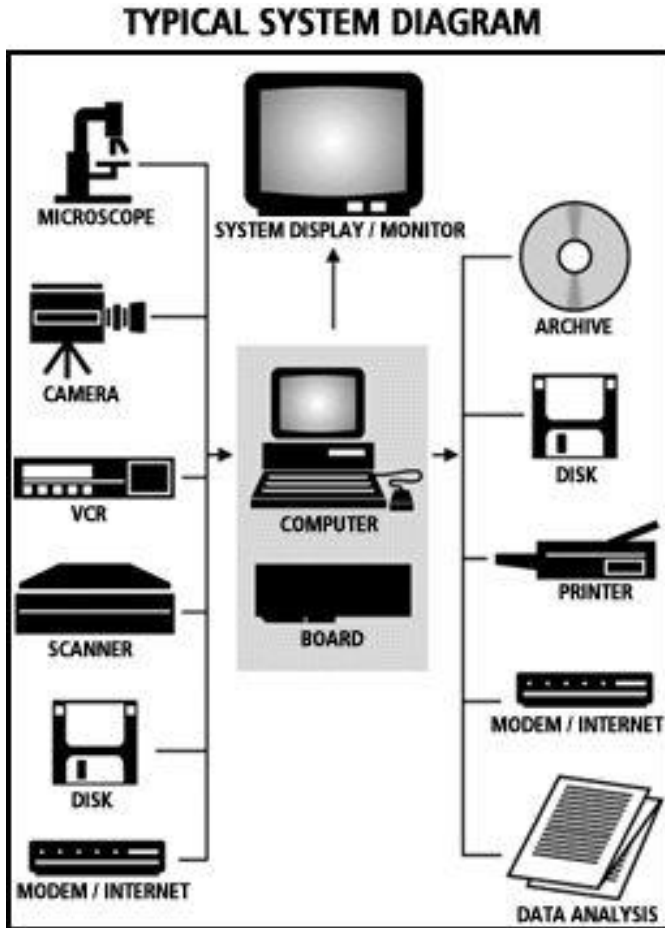




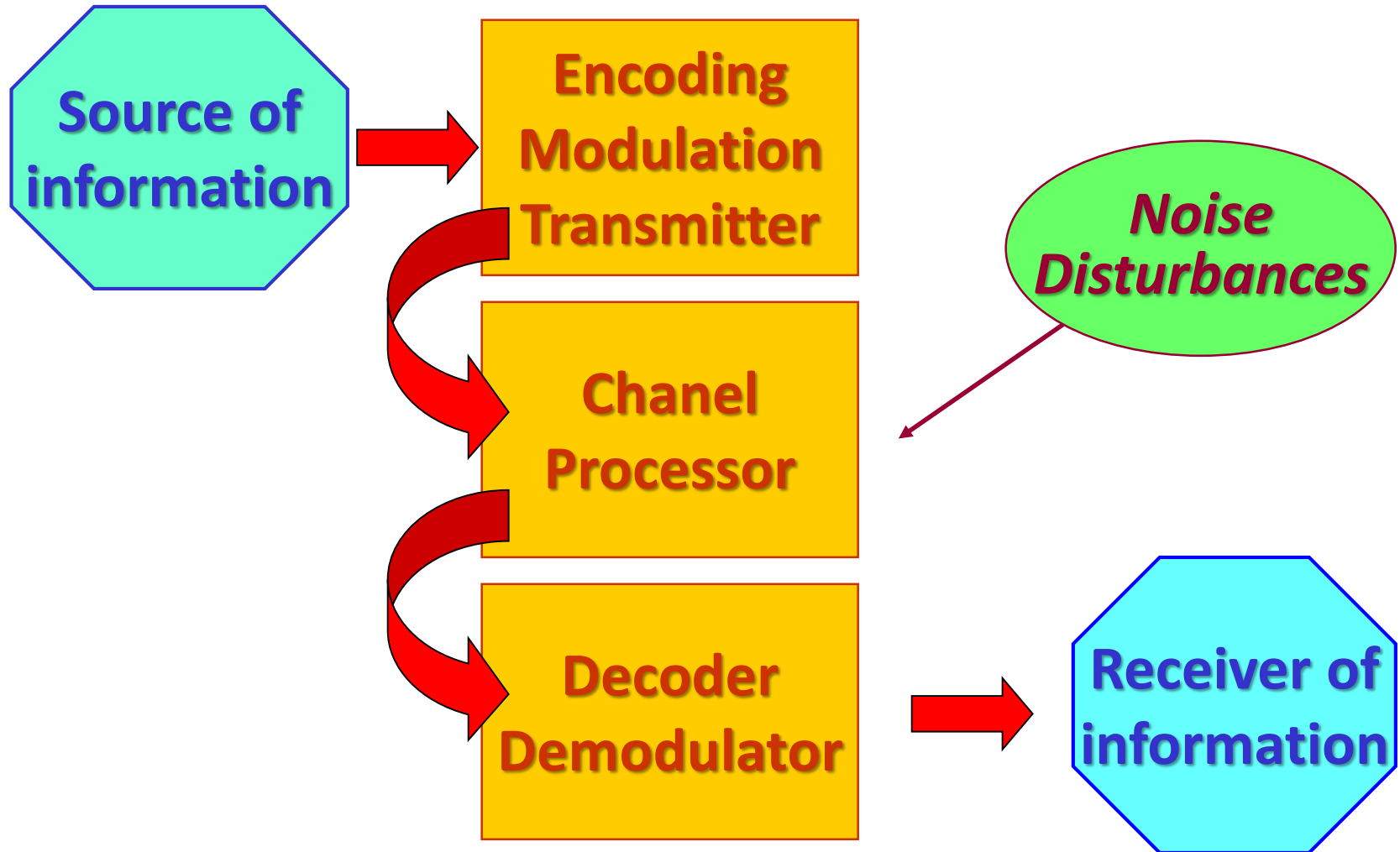
Use of computers in textile laboratories

- ❑ Sensors
- ❑ Data processing
- ❑ Analysis and presentation of results



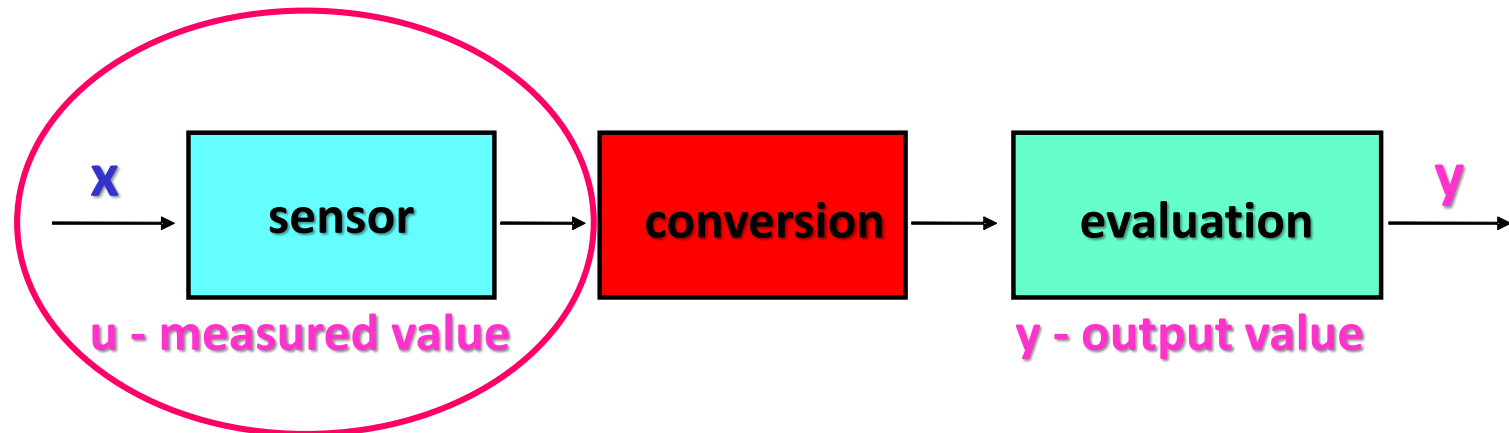
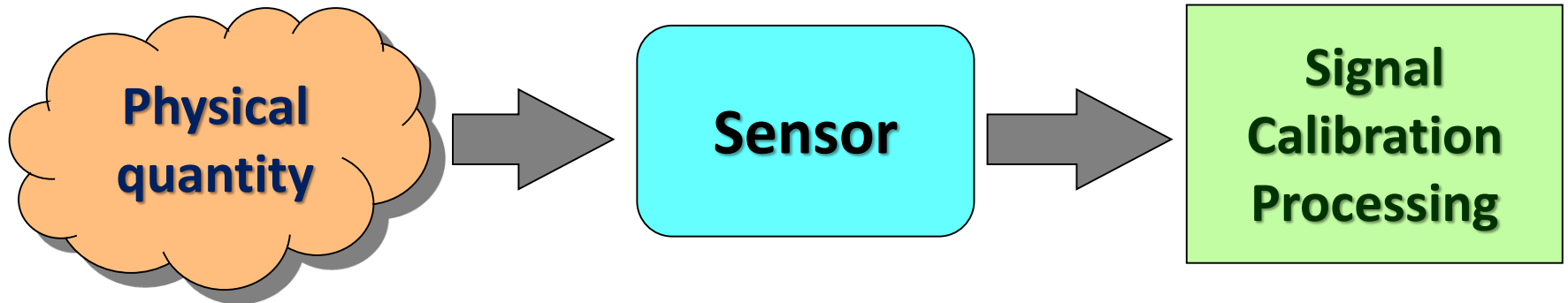


Model of information transfer





Setting of measuring device





Basic requirements for sensor selection

❑ Selection of the type of measured quantities

- ❑ number of measurements
- ❑ number of measured places

❑ Selection of measurement precision

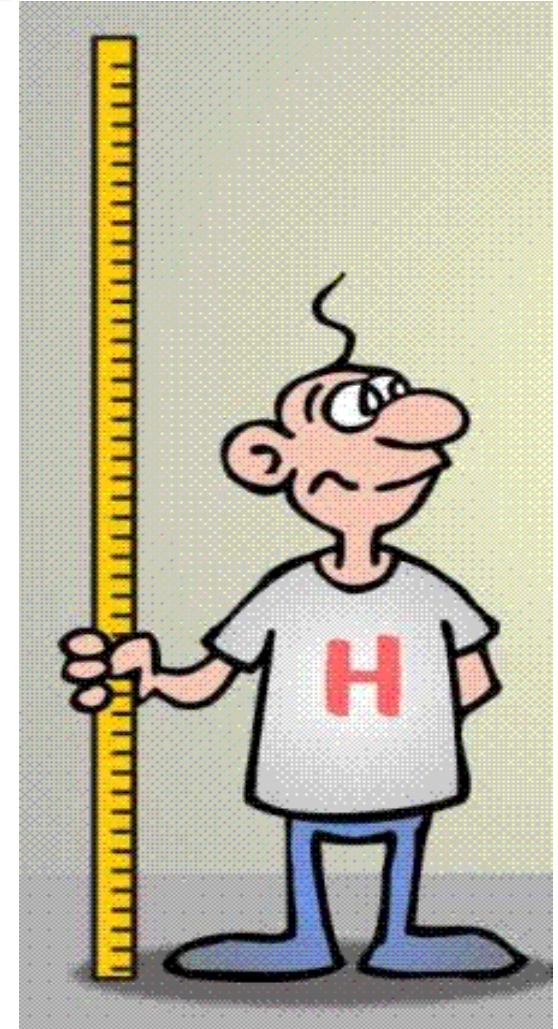
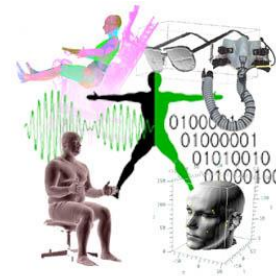
- ❑ testing method

❑ Measurement devices

- ❑ reliability
- ❑ time demands
- ❑ availability of measurements
- ❑ request on operators

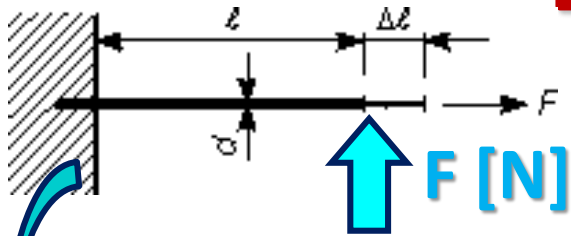
❑ Interruptions

❑ Measurement costs





Example of measuring system setting



Tensile load

F [N]

Resistance of conductor
 $R = \rho l / S$
 ρ - resistivity of material

deformation
 Δl [mm]

$Range = x_{max} - x_{min}$

$$\frac{\Delta R}{R} = k \cdot \frac{\Delta l}{l} = k \cdot \epsilon$$

$\delta_{0,R} = \Delta_0 / Range$



Elektrical resistance R [Ω]

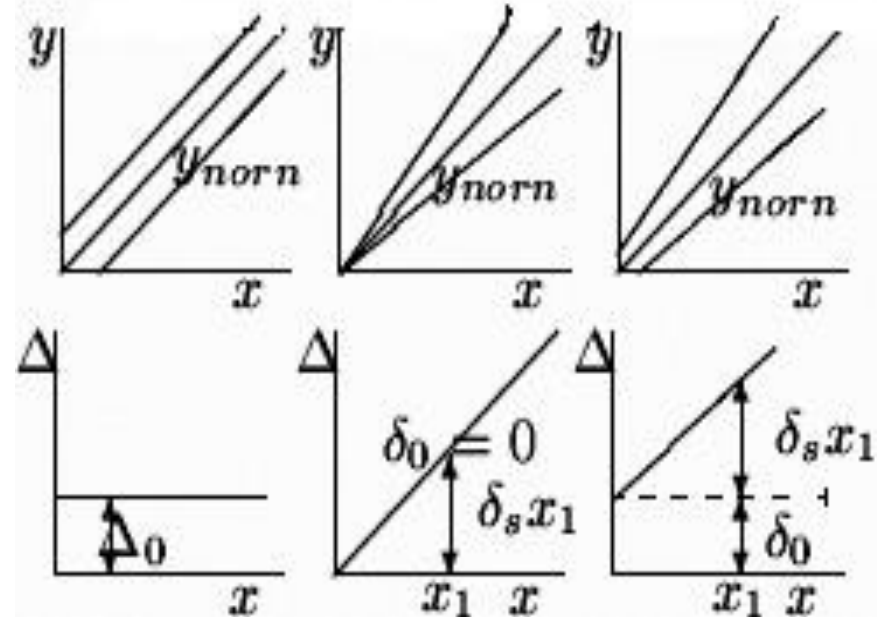
k coefficient of deformation sensitivity

Strength σ [Pa]



Measurement errors

- ❑ Average error of measurement device σ_{inst}
- ❑ Variability of material σ_M
- ❑ Average measurement error σ_V
- ❑ Non-correlated values
- ❑ We usually choose a device so accurate that the error of the measurement results σ_V only!!!
corresponds to variability of the measured material!!!

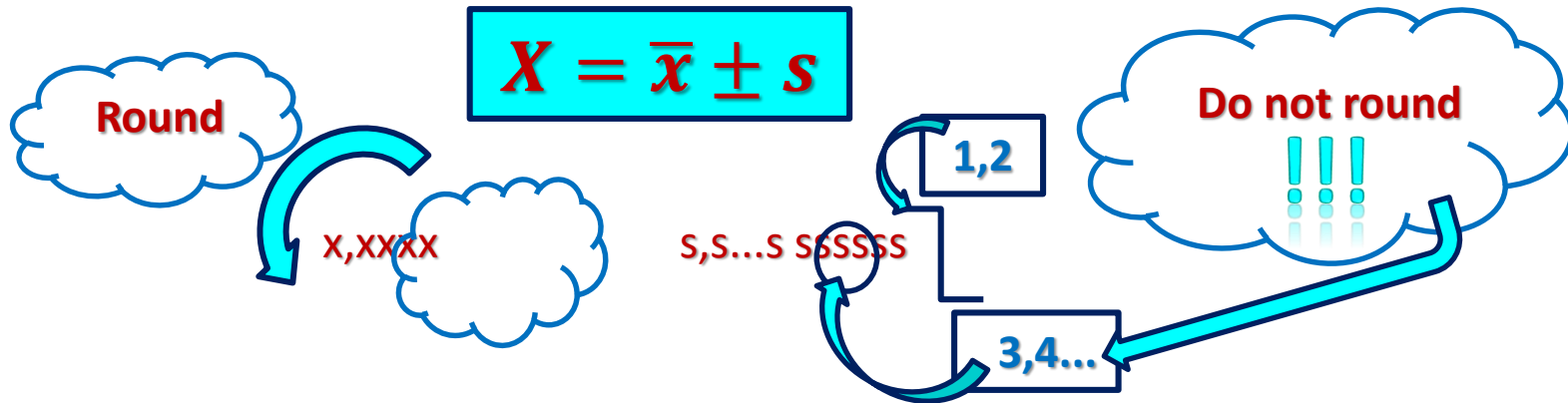


$$\sigma_V = \sqrt{\sigma_{inst}^2 + \sigma_M^2}$$



Rounding of measurement values

MEASURED VALUES =
Resulting values \pm Standard deviation



❑ **Example: Mass of 100 m of yarn is 2.54689 g**

❑ Error of scale $A = 528 \text{ mg} \Rightarrow$ Value

$$A = 2.5 \pm 0.5 \text{ g}$$

❑ Error of scale $B = 248 \text{ mg} \Rightarrow$ Value

$$B = 2.55 \pm 0.24 \text{ g}$$



Data processing I.

- Estimation of mean value (average, modus, median)

Average $\bar{x} = \frac{1}{n} \sum_{i=1}^n x_i$ [.....]

Modus \hat{x} mostly repeated value

Median $\tilde{x} = x_{(k)}$ where $k = \frac{n}{2}$ for odd n

$\tilde{x} = \frac{x_{(k)} + x_{(k+1)}}{2}$ where $k = \frac{n+1}{2}$ for even n



Data processing II

- Estimation of variability (variance, standard deviation)
- Variance s^2 and standard deviation s

$$s^2 = \frac{1}{n-1} \sum_{i=1}^n (x_i - \bar{x})^2 \quad [\dots^2]$$

$$s = \sqrt{s^2} \quad [\dots]$$

- Coeff. of variance $v = \frac{s}{\bar{x}} \cdot 10^2 [\%]$



Confidence interval \Rightarrow CI

□ Lower limit L_D

□ Upper limit L_H

$$L_D = \bar{x} - t_{\alpha(n-1)} \cdot s / \sqrt{n} \quad [\dots]$$

$$L_H = \bar{x} + t_{\alpha(n-1)} \cdot s / \sqrt{n} \quad [\dots]$$

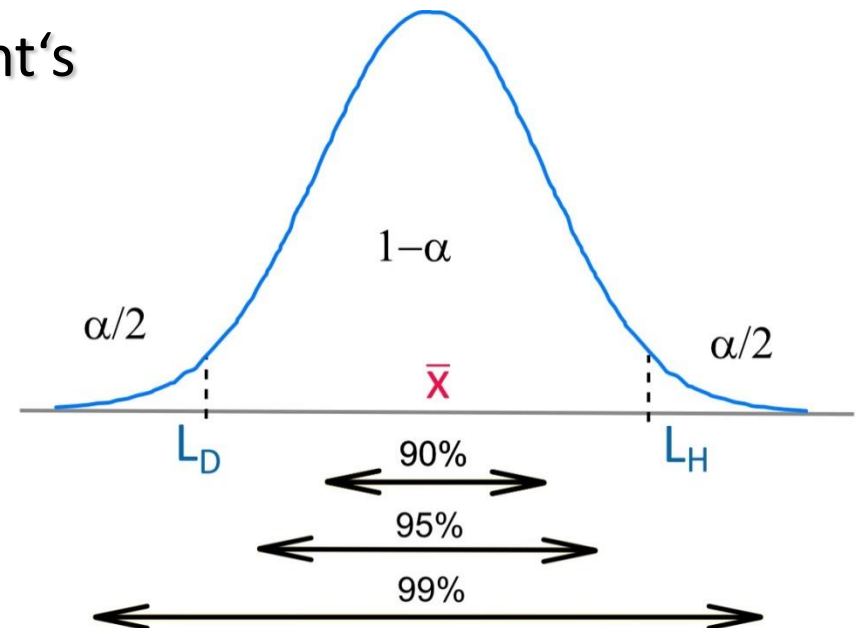
□ $t_{\alpha(n-1)} \Rightarrow$ kvantil of Student's selective distribution

□ For $n \cong \infty$, and $\alpha = 0,95$

$$t_{\alpha(n-1)} = 1,96$$

E.g. CI for linear density:

$$CI_T = \langle 24,1; 25,1 \rangle \text{ tex}$$





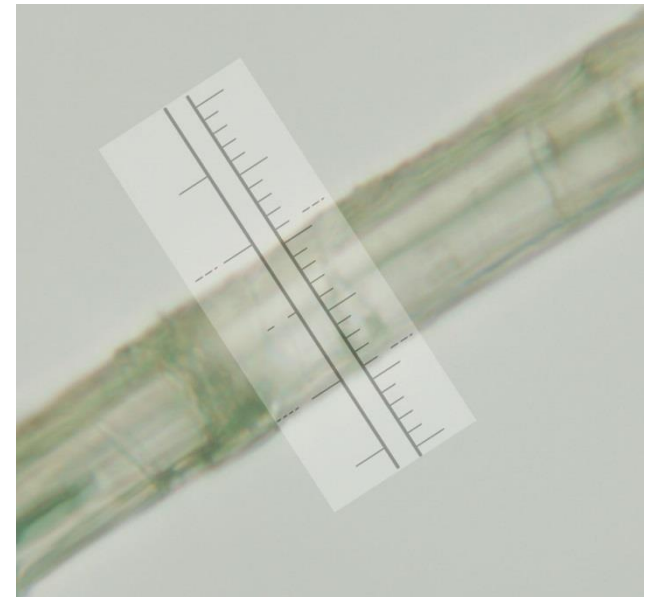
Large data set

- ❑ categorization of data j , (x_j) , $j = 1, 2, 3, \dots, k$,
 ⇒ set of categories
 - ❑ Sign of category x_j
 - ❑ Number of measurements in category n_j
 - ❑ Number of all measurements n
 - ❑ Frequency function f_j

$$n = \sum n_j$$

$$f_j = \frac{n_j}{n}$$

j	$x_{jd} - x_{jh} [\mu m]$	$x_j [\mu m]$	number of measurement	n_j
1	11 - 13	12		
2	13 - 15	14		
3	15 - 17	16		
4	17 - 19	18	 	
5	19 - 21	20	 	





Large data set > 40

- ❑ Setting of category range
- ❑ Extent of category
- ❑ Number of categories
- ❑ Calculation of mean and variance
- ❑ Confidence interval

$$R = x_{max} - x_{min}$$

$$\Delta x = 0,08 \cdot R$$

$$10 \leq k \leq 20$$

$$\bar{x} = \frac{1}{n} \sum_{j=1}^k x_j \cdot n_j$$

$$s^2 = \frac{1}{n} \sum_{j=1}^k (x_j - \bar{x})^2 \cdot n_j$$

$$s = \sqrt{s^2}$$

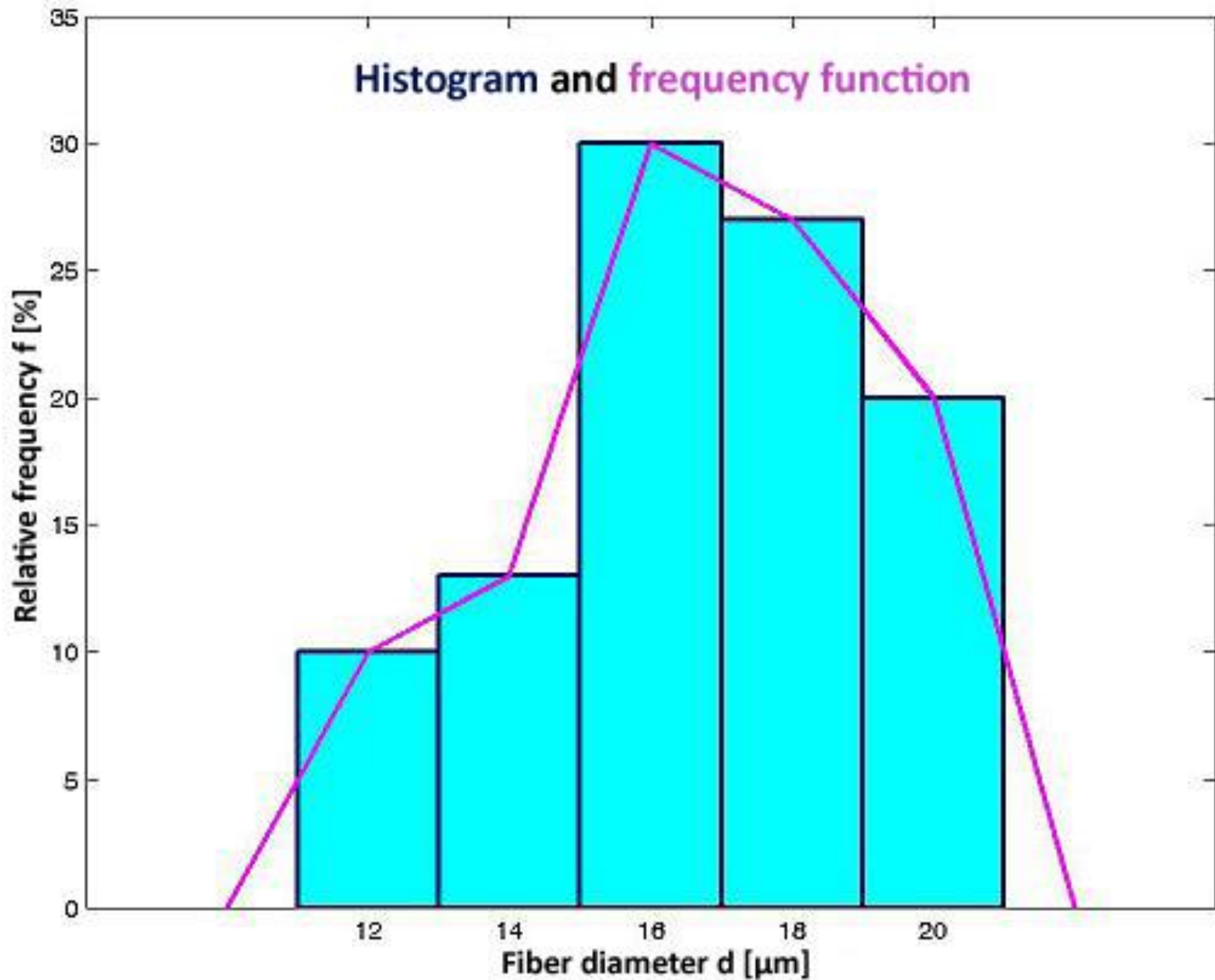
$$CI_p = \bar{x} \pm t_{\alpha(n-1)} \frac{s}{\sqrt{n}} \text{ [unit]}$$



Histogram and frequency function

$$f_j = \frac{n_j}{n} \cdot 100 [\%] \quad n = \sum_{j=1}^k n_j$$

j	$d_{jd} - d_{jh} [\mu\text{m}]$	$d_j [\mu\text{m}]$	number of measurements	n_j	$f_j [\%]$
1	11-13	12	++++ ++	10	10
2	13-15	14	++++ +++	13	13
3	15-17	16	++++ ++++ ++++ ++++ ++++ ++	30	30
4	17-19	18	++++ ++++ ++++ ++++ +++	27	27
5	19-21	20	++++ ++++ ++++ ++++	20	20
$\Sigma\dots$				n=100	100%





Histogram and cumulative density function

j	$d_{jd} - d_{jh} [\mu\text{m}]$	$d_j [\mu\text{m}]$	number of measurements	n_j	$f_j [\%]$	$F_j [\%]$
1	11-13	12		10	10	10
2	13-15	14		13	13	23
3	15-17	16	 	30	30	53
4	17-19	18	 	27	27	80
5	19-21	20	 	20	20	100

